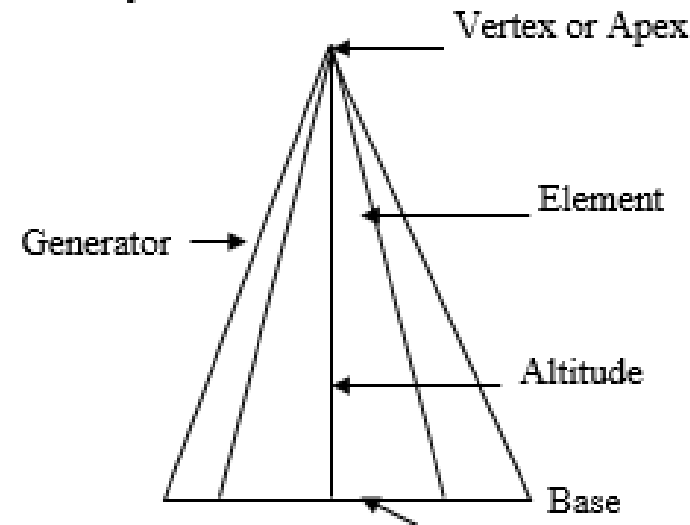


(Attempt the questions at the back of your exercise book)

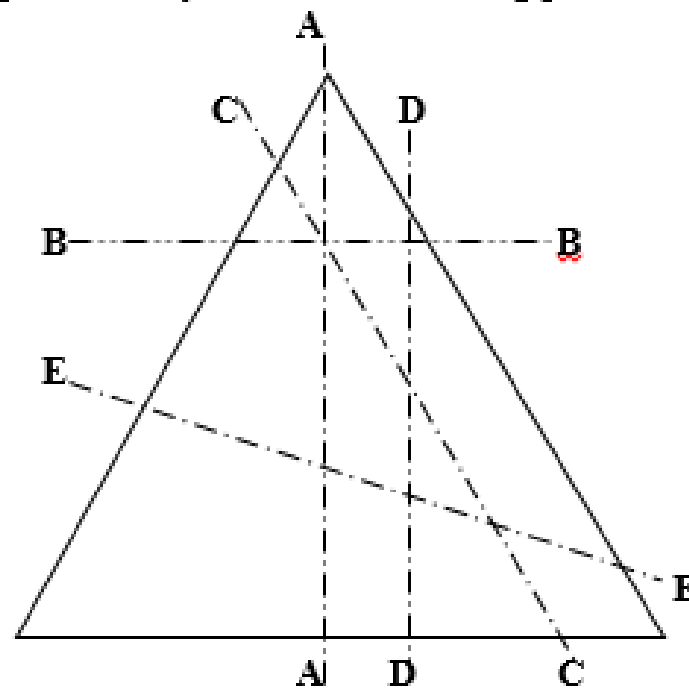
CONICS

Conics - is that part of geometry that deals with the cone and the several curves formed by truncation of it.

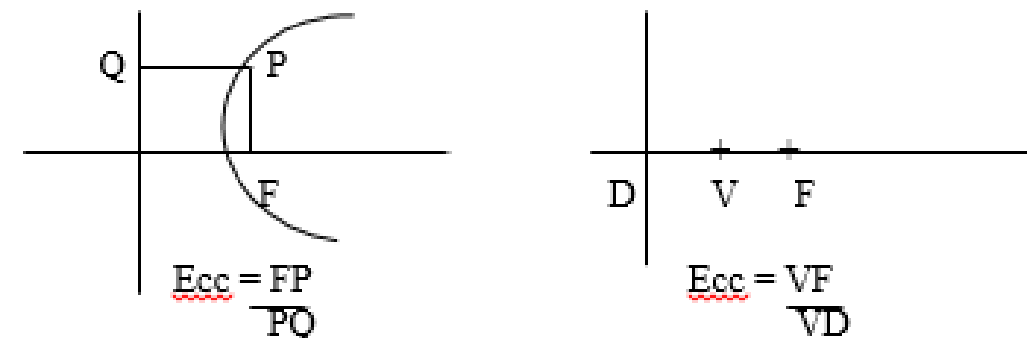


The element of a cone – is a line drawn from the apex to a point on the circumference of the base.

Conic sections produced by the different cutting planes.



- AA – Triangle** – formed when a cutting plane cuts along the axis.
- BB - Circle** - formed when the cone is cut at right angles to the axis.
- CC - Parabola** - formed when a right cone is cut by a cutting plane parallel to a generator of a cone.
- DD - Hyperbola** – formed when a right cone is cut by a plane which makes a greater angle with the base than a generator of a cone makes.
- EE - Ellipse** - formed when a right cone is cut by a plane which goes right through a cone; in other words, it cuts through every generator.
- Eccentricity** - is the ratio of the distances from the focus to a point on the curve and the directrix to the same point on the curve.



- Ecc < 1 Ellipse**
- Ecc > 1 hyperbola**
- Ecc = 1 parabola**

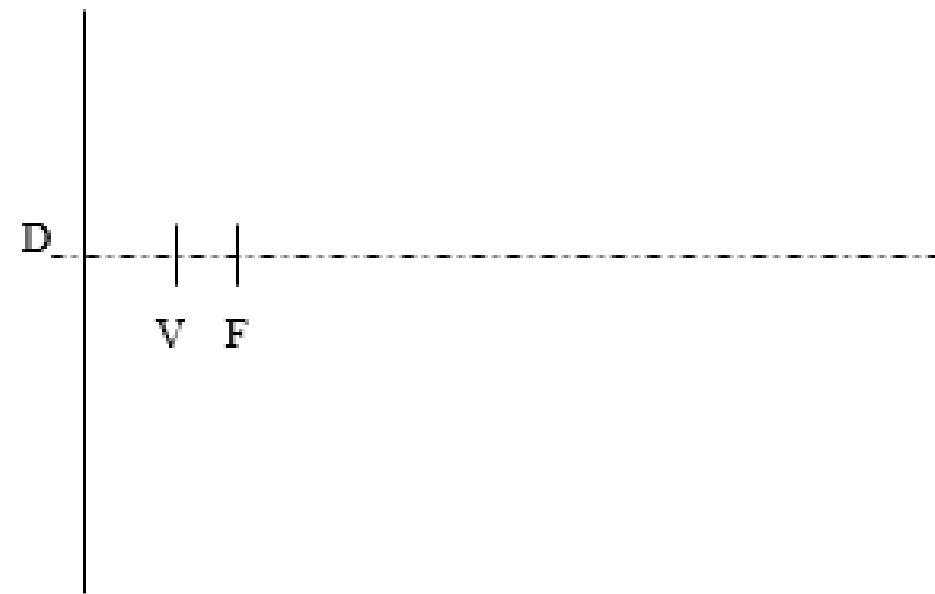
Example: VF = 12 and VD = 10.

$$Ecc = \frac{VF}{VD} = \frac{12}{10} = 1.2$$

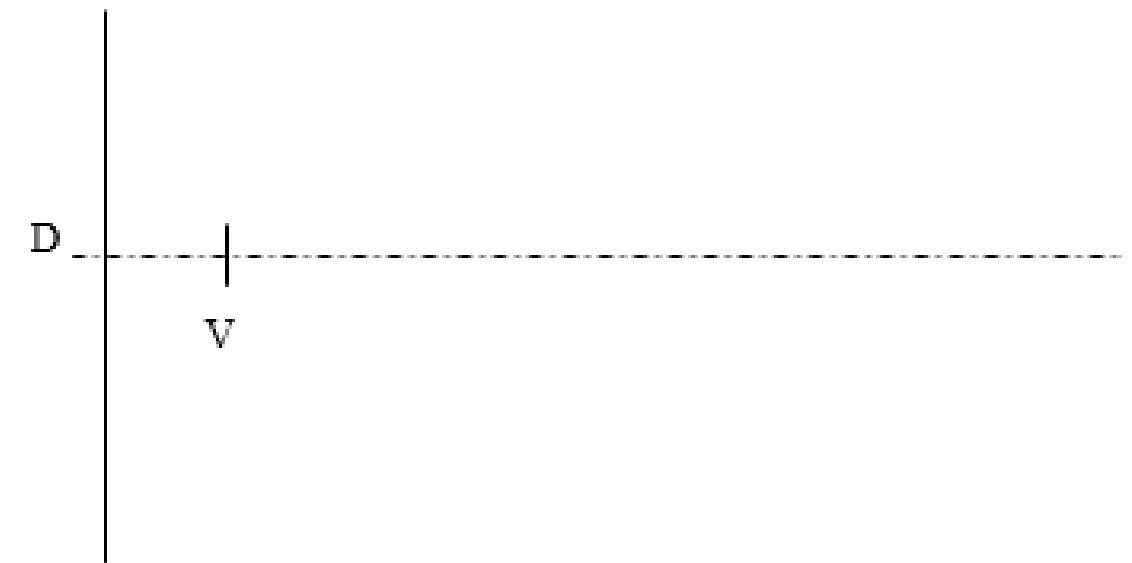
1.2 > 1 therefore curve will be a hyperbola.

Focal sphere - is a sphere dropped into a cone that is also tangential to the cutting plane in question.

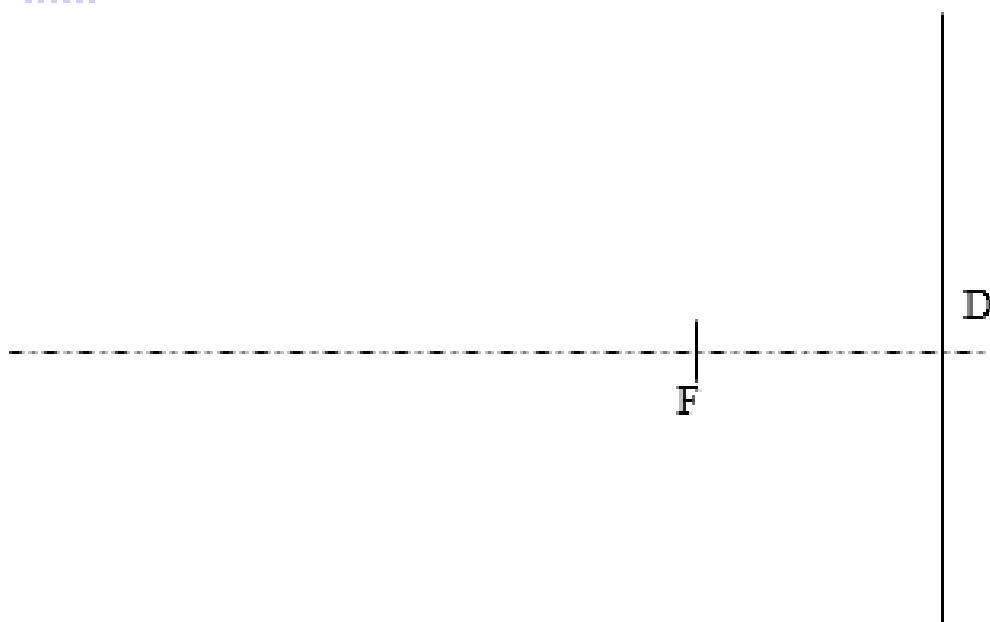
Given the axis, a directrix, a vertex and a focal point construct the ellipse.



Given the axis, a directrix and a vertex, construct an ellipse with a ratio of eccentricity of 2:3.



Given the axis, a directrix and a focal point, construct an ellipse with a ratio of eccentricity of 3:4.



Given the axis, a vertex and a focal point, construct an ellipse with a ratio of eccentricity of 2:3.

