

**SUVA SANGAM COLLEGE**

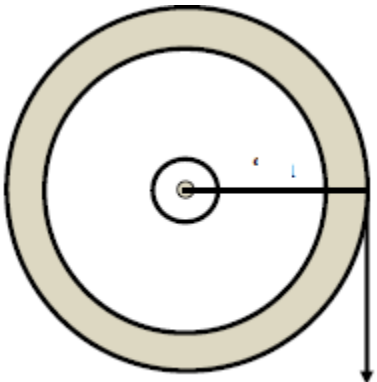
**YEAR 13**

**PHYSICS**

**WORKSHEET 7**

Strand 1 P13.1	Mechanics
Sub-Strand P13.1.5	Rotational Dynamics
Content Learning Outcome P13.1.5.1	Apply the concept of both linear and rotational dynamics to solve problems.
Reference from Text	Pg 28 to 37

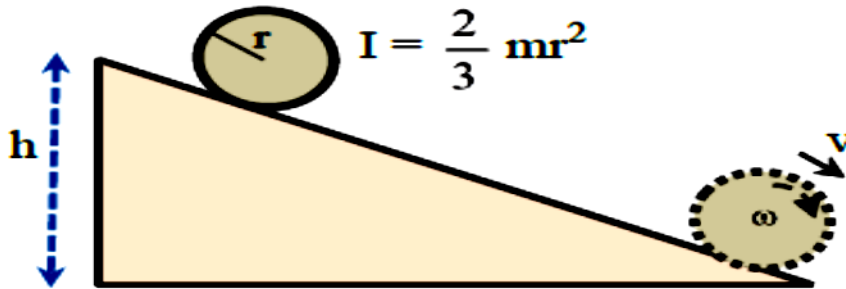
**Questions**

<b>No.</b>	<b>CONCEPT IN BRIEF:</b> Torque and angular acceleration: Torque $\tau = I \alpha$ . Torque is also given by $\tau = Fr$ .
1.	<p>A wheel with the radius of 0.9 m and a moment of inertia of <math>4.2 \text{ kgm}^2</math> has a constant force of 15 N applied tangentially at the rim as shown below.</p>  <p>The diagram shows a circular wheel with a center point. A horizontal line extends from the center to the right edge of the wheel. A vertical arrow points downwards from the right edge of the wheel, representing a tangential force. The radius of the wheel is indicated by a small 'r' and the force by a small 'F'.</p> <p>Calculate the</p> <p>a) angular acceleration</p> <p>b) angular speed, <math>\omega</math>, after 4 s from rest.</p>
	<b>CONCEPT IN BRIEF:</b> Law of conservation of angular momentum: $L_i = L_f \quad \longrightarrow \quad I\omega_1 = I\omega_2$
2.	<p>A solid disk having inertia of <math>3 \text{ kgm}^2</math> rotates with an angular velocity of 10 radians per seconds. Another disk of inertia <math>4 \text{ kgm}^2</math> which is not rotating is dropped on the first disk. If the two rotates together, find their common angular velocity.</p>

**CONCEPT IN BRIEF:**  $E_{Total} = EK_{Rotational} + EK_{Linear}$

$$= \frac{1}{2} I\omega^2 + \frac{1}{2} mv^2$$

3. A solid sphere of rotational inertia rolls from rest down a ramp of height,  $h$ . At the bottom of the ramp the disc has translational speed and angular velocity.



- a) Write an expression for:
- the gravitational potential energy lost.
  - the translational kinetic energy.
  - the rotational kinetic energy.
- b) Determine the expression for linear velocity of the solid sphere.