

3055 BA SANGAM COLLEGE



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WEEK 11

School: <u>Ba Sangam College</u> Subject: <u>Mathematics</u>	Year / Level: <u>12</u> Name of Student:	
Strand	3 – Graphs	
Sub strand	3.1 – Graphs and Intersections	
Content Learning Outcome	Studying and interpreting graphs	

Hyperbolic Graphs (Ref: Year 12 Mathematics Pg 101 – 103) Note: Hyperbola will have a **basic form** of xy = c, where c is a constant number. Making y the subject yields: $y = \frac{c}{x}$ if c is positive(draw in guadrants 1 and 3) if c is negative(draw in quadrants 2 and 4) For the general form $y = \frac{ax+b}{cx+d}$, important feature to note is the asymptotes. Asymptotes are those lines that you will never cross. In the above diagrams, the vertical asymptote is at y = 0 while the horizontal asymptote is at x = 0. To find the vertical asymptote: since denominator of rational function cannot be zero, i.e. c x + d = 0 and Solve let Denominator = 0, To find the horizontal asymptote: Divide the coefficients of the variable x, i.e. $y = \frac{ax}{cx} or \frac{a}{c}$ To sketch the graph, find the intercepts. If the equation is not in general form, recall algebra i.e. make denominator the same. All hyperbolas have two distinct branches, directly opposite each other. The branches of hyperbolas get very close to particular lines called the asymptotes, without ever actually touching it.

Example: 1 Sketch
$$y = \frac{x-4}{x+2}$$

x int – let y = 0	y int – let x = 0	Vertical asymptote	Horizontal asymptote
$0 = \frac{x-4}{x+2}$	$y = \frac{0-4}{0+2}$	VA – denominator = 0 x + 2 = 0	$y = \frac{a}{c}$
0 $(x+2) = x-4$	$y = \frac{-4}{2}$	x = -2	$y = \frac{1}{1}$ $y = 1$
$ \begin{array}{r} 0 = x - 4 \\ x = 4 \\ x int = (4, 0) \end{array} $	y = -2 y int = (0, -2)		

