

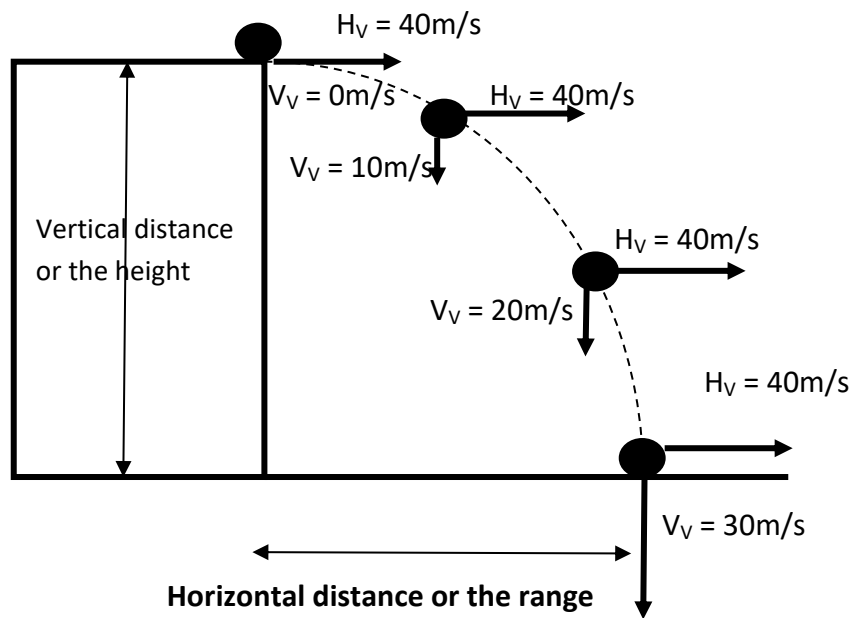
PENANG SANGAM HIGH SCHOOL
YEAR 12 PHYSICS
WEEK 14

Strand	MECHANICS
Sub Strand	Kinematics
Content Learning Outcome	At the end of the lesson students should be able to <ul style="list-style-type: none"> • Apply the 3 kinematic equations to solve projectile motion problems

Horizontally launched projectiles

Horizontally launched projectiles

here the object has an initial horizontal velocity. The vertical velocity at the start is 0m/s



- Throughout the motion the horizontal velocity remains the same
- The vertical velocity at the start is 0m/s and increases throughout the motion

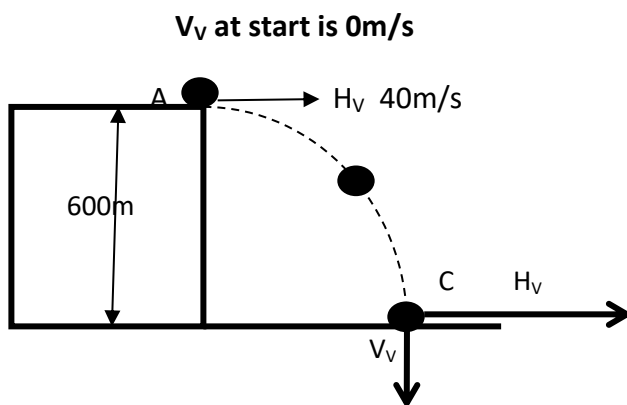
c. To find the time of flight we will use

$$d = v_i t + \frac{1}{2} a t^2$$

Where s is the vertical distance or the height and v_i must be the initial vertical velocity. (remember the velocity substituted in the formula must be in the same line as the distance)

- d. To find the vertical velocity at any point use the formula
 $V_f = V_i + at$
- e. To find the range use the formula
 $R = H_v \times \text{total time}$
- f. At any point of the projectile there are two types of velocity ie vertical and horizontal. To find the velocity at any point use
Velocity = $H_v + V_v$ both are vectors so put the direction and then use vector addition.

Eg. A canon is fired horizontally from a cliff at 40m/s.



- a. Find the time taken by the canon to reach the bottom

$$d = v_i t + \frac{1}{2} at^2 \quad (d = 600\text{m in the vertical direction, } a = 10\text{m/s}^2$$

since object is moving down , v_i should be taken as zero
 since the distance put is the vertical distance therefore
 v_i should be the initial vertical velocity)

$$600 = 0(t) + \frac{1}{2} (10) t^2$$

$$600 = 5 t^2$$

$$600/5 = t^2$$

$$120 = t^2$$

$$t = 10.95\text{s}$$

- b. Find the range

$$\begin{aligned}
 \text{range} &= H_v \times t \\
 &= 40 \times 10.95 \\
 &= 438\text{m}
 \end{aligned}$$

c. Find the vertical velocity of the canon at the bottom

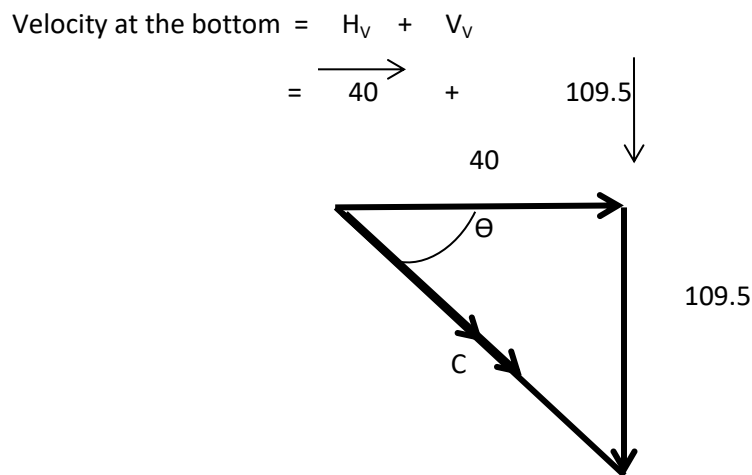
$$\begin{aligned}
 v_f &= v_i + at \\
 &= 0 + 10 (10.95) \\
 &= 109.5 \text{ m/s} \downarrow
 \end{aligned}$$

d. What is the horizontal velocity at the bottom.

The horizontal velocity remains same throughout the motion therefore is $\overrightarrow{40\text{m/s}}$

e. Find the velocity at the bottom

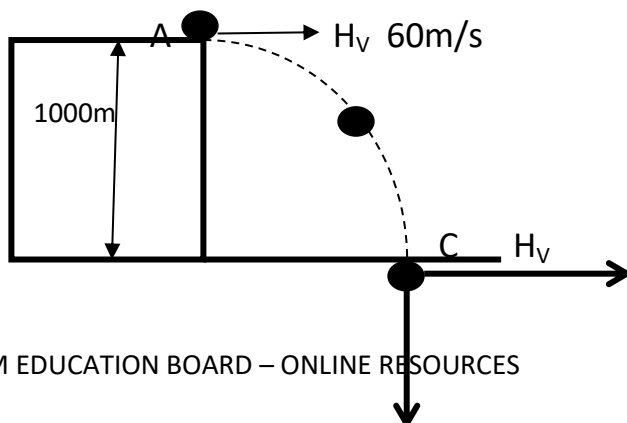
Since there is both velocities at the bottom that is vertical and horizontal , add the two using vector addition. Remember velocity is a vector quantity.



Find the size of C using Pythagoras theorem and find the angle

1. A canon is fired horizontally from a cliff at 60m/s.

V_v at start is 0m/s



- a. Find the time taken by the canon to reach the bottom

$$d = v_i t + \frac{1}{2} a t^2$$

- b. Find the range

$$\text{range} = H_v \times t$$

- c. Find the vertical velocity of the canon at the bottom

$$v_f = v_i + at$$

- d. What is the horizontal velocity at the bottom.

The horizontal velocity remains same throughout the motion therefore is

- e. Find the velocity at the bottom

Since there is both velocities at the bottom that is vertical and horizontal , add the two using vector addition. Remember velocity is a vector quantity.

$$\text{Velocity at the bottom} = H_v \overset{\longrightarrow}{+} V_v$$

$$= \quad + \quad \downarrow$$

Find the size of C using Pythagoras theorem and find the angle